University of Mumbai

Program: CIVIL ENGINEERING Curriculum Scheme: Rev - 2019 Examination: SE Semester III

Course Code: CE-C304 and Course Name: Architectural Planning and Design of Buildings

Time: 2 hour Max. Marks: 80

Q1.	Choose the correct option for following questions. All the Questions are compulsory and carry equal marks	
1		
1.	Fire resistance offered by all structural members of Type II building is	
Option A:	2 hours	
Option B:	3 Hours	
Option C:	4 hours	
Option D:	1 hour	
2.	In wind rose diagram, the concentric circles represent	
Option A:	Wind direction	
Option B:	Wind speed	
Option C:	Wind duration	
Option D:	Wind Intensity	
3.	What is the maximum Pitch for stair case for a public building?	
Option A:	40°	
Option B:	450	
Option C:		
Option D:		
4.	What is the total carpet area of a building if the plot area is 40m x 30m, F.S.I. allowed is 0.9 and ratio of Built-up area to carpet area is 0.8?	
Option A:	964 sqm	
Option B:	864 sqm	
Option C:	1080 sqm	
Option D:	1064 sqm	
5.	What type of footing will you provide if the column is situated at the boundary of a plot and it is not possible to provide footing exactly below that column?	
Option A:	Strip footing ST	
Option B:	Spread footing	
Option C:	Strap footing	
Option D:	Stepped footing	
6.	Which type of roofs is most popular in the coastal south India?	
Option A:	Handmade tiles roof	
Option B:	Mud-timber flat roof	
Option C:	Coconut leaves roof	
Option D:	Brick and Lime roof	
7.73	In perspective view drawing, the point where the eye of the observer is located is	

	called
Option A:	Station point Station point
Option B:	Vanishing point
Option C:	Centre of vision
Option D:	Line of sight
8.	Line up to which the plinth of a building adjoining a street may be law-fully extended is called
Option A:	Building boundary
Option B:	Building line
Option C:	Building plan
Option D:	Building extend
9.	The IGBC stands for
Option A:	International Green Building Council
Option B:	Indian Green Building Centre
Option C:	Indian Green Building Council
Option D:	International Green Building Centre
10.	In AUTOCAD the command ARRAY is used for
Option A:	Removing and object
Option B:	Creating multiple copies of objects in a pattern
Option C:	Copying and object
Option D:	Arranging an object in a pattern

$\mathbf{Q2}$	Answer any one of the following questions.	20 marks each
	Design a RCC G+1 High school building in a district p facilities.	place with following
	i) No. of class rooms = 12 nos.(each of 75 sqm area)	
	ii) No. of labs = 3 nos. (60 sqm each)	
	iii) No. of drawing rooms = 3 nos. (60 sqm each)	
	iv) Computer room = 75 sqm	
	v) Principal's office = 60 sqm	
	vi) Office = 75 sqm	
	vii) Library-cum-Reading room = 75 sqm	
	viii)Gymkhana = 100 sqm	
	ix) Canteen = 60 sqm	
	x) Indoor games = 100 sqm	
	(a) Draw line plan of ground floor.	(10 marks)
16.60.45.850V	(b) Draw line plan of First floor.	(10 marks)

В	Plan and design a Primary Health Centre (P. H. C.) in refollowing facilities as R.C.C. framed structure as (G+1) Following are the facilities to be provided on both the fit to floor height as 3.6 m. (i)Entrance and Reception = 30 sq. m. (ii) Doctor's room = 4 no. (Each 20 sq. m.) (iii) Nurse's room = 20 sq. m (iv)Operation theatre = 50 sq. m. (v) General ward = 100 sq. m. (vi) Ladies ward = 75 sq. m. (vii)Store room = 20 sq. m. (viii)Medical store = 30 sq. m. (ix) Changing room = 20 sq. m. Provide toilets, passages, etc. as per the Bye-laws and Refollowing with suitable scale. 1. Ground Floor developed plan 2. First floor line plan	storied only. loors. Assume floor
Q3	Answer the following questions. (10 mark	/ 30 30 18 8 9 7
A	Draw a TWO-POINT perspective of a block of 2m steps, 3 in number, having tread and rise as 1 m each. Take eye-level at 0.5 m and station point at 2.5 m	
В	Write the Rules & Procedure in detail for drawing One- drawing for (G+1) storied RCC Residential Structure	Point Perspective (10 Marks)
Q4	Write SHORT NOTES on any 4 of the following. (1) Roofs (2) Wind rose diagram (3) Master Plan (4) Principle of planning for residential buildings (5) Advantages of AUTO CAD	[5x4 = 20 marks]

Time: 2.30 hours Max. Marks: 80

Q1.	Choose the correct option for following questions. All the Questions are compulsory and carry equal marks
1.	What is the Laplace transform of $\int_{0}^{t} \sin 5u \ du$?
Option A:	$\frac{5}{s(s^2+25)}$
Option B:	$\frac{5}{s(s^2-25)}$
Option C:	$\frac{1}{s(s^2-25)}$
Option D:	$\frac{1}{s^2 + 25}$
2.	Find value of b_n in the Fourier expansion of function $f(x) = (2-x^2)$ in the interval $(0,2)$.
Option A:	$\frac{2}{n\pi} + \frac{2}{n^3\pi^3}$
Option B:	$\frac{2}{n\pi}$
Option C:	$\frac{4}{n\pi}$
Option D:	$\frac{4}{n^3\pi^3}$
3.	If $f(z) = e^z$ is an analytic function, then real part is given by
Option A:	e [*] cosy
Option B:	cosy
Option C:	$e^{x}\sin y$
Option D:	sin y
4.	L ⁻¹ [17(S+2) ⁴]
Option A:	$e^{-2t} \cdot t^3 / 3$
Option B:	e ^{-2t} .t ⁴ /6
Option C:	e ^{-3t} , t ³ /6
Option D:	e ^{-2t} :t ³ /6
5.5	If $f(x) = \cos x$ defined in $(-\pi, \pi)$ then the value Fourier coefficient b_n is
Option A:	$\frac{11}{0} = \frac{1}{1000} \times \frac{1}{1000} = \frac{1}{1000} \times \frac{1}{1000} = \frac{1}{1000} \times \frac{1}{1000} = \frac{1}{1000} \times \frac{1}{1000} = \frac{1}{10000} \times \frac{1}{10000} = \frac{1}{10000} = \frac{1}{10000} \times \frac{1}{10000} = \frac{1}{100000} = \frac{1}{10000} = \frac{1}{100000} = \frac{1}{10000} = \frac{1}{100000} = \frac{1}{100000} = \frac{1}{100000} = \frac{1}{1000000} = \frac{1}{10000000000000000000000000000000000$
Option B:	π
Option C:	n = 1

Option D:	2π
· P · · · · · ·	$\frac{2n}{(n^2-1)}[(-1)^n-1]$
6.	A function $u(x, y)$ is harmonic if and only if,
Option A:	$u_{xx} + u_{yy} = 0$
Option B:	$u_x + u_y = 0$
Option C:	
Option D:	$u_{xy} + u_{yx} = 0$
Орион D.	$u_x - u_y = 0$
7.	
7.	Find $L^{-1}\left[\frac{3s+4}{s^2+16}\right]$
Option A:	$4.\sin 4t + \cos 4t$
Option B:	$\cos 4t + \sin 3t$
Option C:	$3.\cos 4t + \sin 4t$
Option D:	$\sin 3t + \cos 4t$
8.	If characteristic equation of matrix A of order 3×3 is λ^3 - $3\lambda^2$ +3 λ -1 =0. Then by Cayley Hamilton theorem A^{-1} is equal to
Option A:	A ³ - 3 A ² +3 A -I
Option B:	A ² - 3 A - 3I
Option C:	3 A ² - 3 A - I
Option D:	$A^2 - 3A + 3I$
9.	The Laplace Transform of t.e at
Option A:	
Option B:	46078868888888888
	$(s-a)^2$
Option C:	
i i	$\sqrt{(s+a)^2}$
Option D:	719,82,629,54,400,48,89,54
000000	
10.	The equation of one dimensional heat flow is given by
Option A:	$\frac{\partial u}{\partial t} = c^2 \frac{\partial^2 u}{\partial x^2}$
12 2 8 5 9 V	$\frac{\partial t}{\partial x^2} = \frac{\partial x^2}{\partial x^2} = \frac{\partial x}{\partial x} = \partial $
Option B:	$\frac{\partial^2 u}{\partial t^2} = c^2 \frac{\partial^2 u}{\partial x^2}$
Option C:	$\frac{\partial^2 u}{\partial x^2} + \frac{\partial^2 u}{\partial y^2} = 0$
Option D:	$\frac{\partial u}{\partial t} = c^2 \left(\frac{\partial^2 u}{\partial x^2} - \frac{\partial^2 u}{\partial y^2} \right)$
7,45° 25° 25° 20° 20° 20° 20° 20° 20° 20° 20° 20° 20	1. 18. 18. 18. 18. 18. 18. 18. 18. 18. 1

Q2	Solve any Four out of Six5 marks each	
(20 Marks)		
A	Solve $\frac{\partial^2 u}{\partial x^2} - 2\frac{\partial u}{\partial t} = 0$ by Bender-Schmidt method, given $u(0,t) = 0$, $u(5,t) = 0$, $u(x,0) = x^2(25 - x^2)$ Assume h=1 & find the values of u up to t=3	
В	Using convolution theorem find inverse Laplace transform of $\frac{s}{(s^2+1)(s^2+4)}$	
С	Find the Laplace transform of cost.cos2t.cos3t	
D	Using Cayley-Hamilton theorem, find the matrix represented by $A^{8} - 5A^{7} + 7A^{6} - 3A^{5} + A^{4} - 5A^{3} + 8A^{2} - 2A + I \text{ where } A = \begin{bmatrix} 2 & 1 & 1 \\ 0 & 1 & 0 \\ 1 & 1 & 2 \end{bmatrix}.$	
E	Find k such that $\frac{1}{2}\log(x^2+y^2)+i\tan^{-1}\left(\frac{kx}{y}\right)$ is analytic.	
F	Find Fourier expansion of $f(x) = x^2$ in the interval $(0, 2\pi)$.	

Q3 (20 Marks)	Solve any Four out of Six5 marks each
A	Find $L^{-1}\left\{\frac{s-2}{(s^2+4s+8)}\right\}$
В	Find Half Range Cosine Series for f(x)=x; 0 <x<2< td=""></x<2<>
С	Find the orthogonal trajectories of the curve is $e^x \cos y - xy = c$
D	Solve $\frac{\partial^2 u}{\partial x^2} - \frac{\partial u}{\partial t} = 0$, under the conditions $u(0,t) = 0; \ u(1,t) = t, u(x,0) = 0$ $h = \frac{1}{4} \text{ (one -time step) using Crank Nicholson's method}$
E	Show that $\begin{bmatrix} 2 & 2 & 1 \\ 1 & 3 & 1 \\ 1 & 2 & 2 \end{bmatrix}$ is diagonalizable. Determine transforming and diagonal matrix.
	Find L.T. of the following functions:- (i) $te^{-4t}sin3t$ (ii) $\frac{1}{t}[cos(2t) - cos(3t)]$

Q4 (20 Marks)	Solve any Four out of Six5 marks each	
A TABLE	Evaluate $\int_0^\infty e^t \sin 2t \cos 3t \ dt$	
B	Find Fourier series of $f(x) = x^2$ in the interval $(-\pi, \pi)$. Hence prove that $\frac{1}{1^2} + \frac{1}{2^2} + \frac{1}{3^2} + \dots = \frac{\pi^2}{6}$	
	An elastic string stretched between the fixed points $(0, 0)$ and $(1, 0)$ initially in the position y=Asin (πx) and released from rest. Find the displacement $y(x,t)$	
D	If $A = \begin{bmatrix} 3 & 1 \\ 1 & 3 \end{bmatrix}$ Calculate e^A and 5^A	
PS CESTES OF	Find an analytic function $f(z)$ whose imaginary part is	

	$e^{-x}(y\sin y + x\cos y)$	
F	Find the inverse Laplace transform of $F(s) =$	$\log\left(\frac{s^2+a^2}{\sqrt{s+b}}\right).$

University of Mumbai Examination: First Half 2022 (May-June 2022)

Program: Civil Engineering
Curriculum Scheme: R2019 (C Scheme)
Examination: SE Semester: III

Course Code: CEC302 Course Name: Mechanics of Solids
Time: 2 Hour 30 Minutes Max. Marks: 80

Q1.	Choose the correct option for the following questions. All the Questions are compulsory and carry 2 marks each.	
1.	A thin cylinder of inner radius 0.5 m and thickness 15 mm is subjected to an internal pressure of 1.5 MPa. The average circumferential (hoop) stress in MPa is	
Option A:		
Option B:		
Option C:		
Option D:		
•	\$2.5000000000000000000000000000000000000	
	Shear Force and Bending moment at B is &	
	A	
2.	1.5 m 2.5 m	
Ontion A:	21.25 kN & 67.71 kN m (Hagging)	
Option A: Option B:	31.25 kN & 67.71 kN.m (Hogging) 31.25 kN & 67.71 kN.m (Sagging)	
Option C:	21.25 kN & 67.71 kN.m (Sagging)	
Option D:	21.25 kN & 67.71 kN.m (Sagging)	
3.	Elongation of steel rod is if length and c/s of rod is 900 mm and 600 mm ² respectively, subjected to an axial pull of 40 kN. Take E= 200 GPa.	
Option A:	0.1 mm	
Option B:	0.2 mm 5 2 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5	
Option C:	0.3 mm	
Option D:	0.4 mm	
4.5.5	Moment of Inertia about the bottom of a triangle with base B and height H is	
Option A:	BH ³ /36	
Option B:	BH ³ /12	
Option C:	BH ³ /48	
Option D:	BH ³ /24	
5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5	Maximum shear stress developed on the surface of a solid circular shaft under pure torsion is 240 MPa. If the shaft diameter is doubled then the maximum shear stress developed corresponding to the same torque will be	
Option A:	120 MPa	
Option B:	60 MPa	
Option C:	30 MPa	
Option D:	15 MPa	
6.	For a circular shaft of diameter d subjected to torque T, the maximum value of the shear stress is	
Option A:	$(64T)/(\pi d^3)$	
Option B:	$(32T)/(\pi d^3)$	
Option C:	$(16T)/(\pi d^3)$	
Option C.	$(8T)/(\pi d^3)$	

7.	A simply supported beam of span (L) m is subjected to a point load (W) kN at the center.
	Maximum deflection in beam is m.
Option A:	5WL ⁴
	384 <i>EI</i>
Option B:	WL^3
Option B.	$\frac{WL}{48EI}$
Option C:	$5WL^4$
	348 EI
Option D:	WL^3
1	84 EI
8.	A simply supported beam of span length 6 m and 75 mm diameter carries a uniformly
	distributed load of 2 kN/m. The maximum bending stress is
Option A:	72.43 MPa
Option B:	217.30 MPa
Option C:	325.15 MPa
Option D:	651.90 MPa
9.	A rectangular beam 100 mm wide and 250 mm deep is subjected to a shear force of 50 kN. What will be the maximum shear stress at the neutral axis?
Option A:	1.5 MPa
Option B:	3 MPa
Option C:	4.5 MPa 4.5 MPa
Option D:	6 MPa
	\$2000000000000000000000000000000000000
10.	A solid round bar of 3 m long and of 50 mm diameter is used as a column with both ends
	hinged. Crippling load by Eulers is, If E= 2x10 ⁵ MPa
Option A:	67.29 kN
Option B:	57.29 kN
Option C:	62.29 kN
Option D:	70.29 kN

Q2.	Solve any 4 out of 6 5 marks each	
A	With usual notations, establish the relation between E, G, K and μ.	
B	A thin cylindrical shell 3.2 m long is having 1.2 m internal diameter and it is 15 mm thick. Calculate hoop stress, longitudinal stress and maximum shear stress if internal fluid pressure is 1.6 MPa.	
	Draw SFD and BMD for a simply supported beam AB of span "L" m carrying a triangular load of zero intensity at the support A and (W) kN/m at the support B.	
D	Define core or kernel of the section. Locate core of the solid rectangular section having width of 300 mm and depth of 400 mm.	
E	A steel rod of 16 mm diameter and 5 m long is connected to two grips, one at each end at a temperature of 120^{0} C. Find the pull exerted when the temperature falls to 40^{0} C. i. If the ends do not yield. ii. If the ends yield by 1 mm Take E = $2x10^{5}$ N/mm ² and $\alpha = 12x10^{-6}$ / C.	
F	An unknown weight falls through 15 mm on a collar rigidly attached to the lower end of the bar 4 m long and 800 mm^2 in area. If the maximum instantaneous elongation is 3 mm find the corresponding stress and the value of unknown weight. Take $E = 2x10^5 \text{ N/mm}^2$	

Q3	Solve any 2 Questions out of 3	10 marks each
	In an experiment, a bar of 40 mm diameter and 200 mm in length is subject	ted to a pull of 70 kN.
A	Change in length and diameter is 0.09 mm and 0.0039 mm respectively.	Calculate the Poisson's
200	ratio, Modulus of Elasticity, Shear Modulus and Bulk Modulus.	



