Examinatic November-December 2016 **Branch:** Computer Engineering

Class/SEM: SE/III

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Class/SEM: SE/III

Date: 25-11-16 Subject: AM-III

Paper Cod€ 540701

Date: 9/12/2016

Subject: DS

Paper Code 541102

Date: 9/12/2016

Subject: DS

Paper Cod€ 540901

Date: 2/12/2016

Subject: ECCF

Paper Cod€ 540800

Date: 16-12-16 Subject: DLDA

Paper Cod€ 541000

Date: 29-12-16
Subject: OOPM

Paper Cod€ 541201

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Q.P. Code: 540701

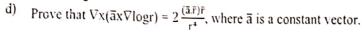
COMP SE REM - III COMP CRES NOW-DU-201-6 (3 Hours)

[Total Marks: 80]





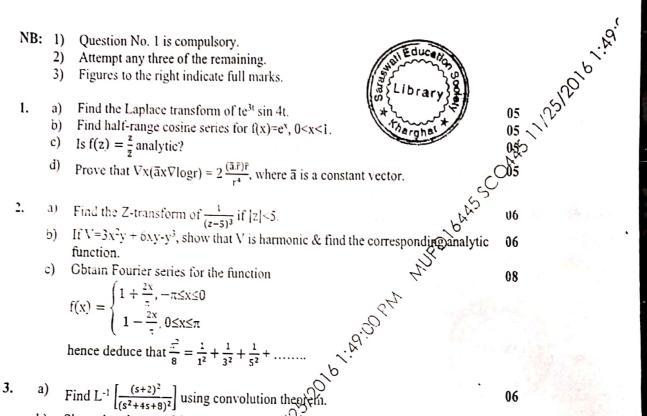
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2. a) Find the Z-transform of
$$\frac{1}{(z-z)^3}$$
 if $|z| < 5$

$$f(x) = \begin{cases} 1 + \frac{2x}{\pi}, -\pi \le x \le 0 \\ 1 - \frac{2x}{\pi}, 0 \le x \le \pi \end{cases}$$



Show that the set of functions 06 I, $\sin\left(\frac{\pi x}{L}\right)$, $\cos\left(\frac{\pi x}{L}\right)$, $\sin\left(\frac{2\pi x}{L}\right)$, $\cos\left(\frac{2\pi x}{L}\right)$,

Form an orthogonal set in (-L,L) and construct an orthonormal set.

Verify Green's theorem for $\left(\frac{1}{L}\right)^{3x} - xy^2 dx + (ye^x + y^2) dy$

08

Where C is the closed curve bounded by $y^2 = x & x^2 = y$.

4. a) Find Laplace transform of
$$f(x) = K\frac{t}{T}$$
 for $0 < t < T & f(t) = f(t+T)$.

- Show that the vector, $\vec{F} = (x^2 yz)i + (y^2 zx)j + (z^2 xy)k$ is 06 irrotational and hence, find ϕ such that $\overline{F} = \nabla \phi$.
- Find Fourier series for f(x) in $(0, 2\pi)$, 08 $f(x) \rightleftharpoons \begin{cases} 0 \le x \le \pi \\ 2\pi - x, \pi \le x \le 2\pi \end{cases}$

$$\frac{1}{96} = \frac{1}{1^4} + \frac{1}{3^4} + \frac{1}{5^4} + \dots$$

Use Gauss's Divergence theorem to evaluate

 $\begin{array}{c}
-x \le \pi \\
-x, \pi \le x \le 2\pi
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\end{array}$ $\iint \overline{N.F} ds \text{ where } \overline{F} = 2xi + xyj + zk \text{ over the region bounded by the cylinder } x^2$

$$y^2 = 4$$
, $z = 0$, $z = 6$.

b) Find inverse Z – transform of
$$f(x) = \frac{z}{(z-1)(z-2)}$$
, $|z| > 2$

06

06

08

2

e) (i) Find L⁻¹
$$\left[\log\left(\frac{s+1}{s-1}\right)\right]$$

(ii) Find L⁻¹ $\left[\frac{s+2}{s^2-4s+13}\right]$

6.

$$f(x) = \begin{cases} x, & 0 < x < 1 \\ 2 - x, 1 < x < 2 \\ 0, & x > 2 \end{cases}$$

the of th

Q. P. Code: 541102 [Total Marks: 80] (3 Hours) ind the inverse of 2,3 and 5,6

(iii) Prove that it is a cyclic group

(iv) Find the orders and the subgroups generated by {3,4} and {2,3}

Determine the number of integers between 1 and 250 that are divisited any of the integers 2,3,5 and 7.

uppose that A is non empty set, and f is a find one in the few f (x) = f (y). Shows the first of th N.B. (1) Question No 1 is compulsory (2) Solve any three question out of remaining five questions (3) Assumption made should be clearly stated (4) Figure to the right indicates full marks 1. (b) (c) 08 Given $S=\{1,2,3,4\}$ and a Relation R on S given by 2. (a) $R = \{(4,3),(2,2),(2,1),(3,1),(1,2)\}$ (i) Show that R is not transitive (ii) Find transitive closure of R by Warshall's algorithm Show that n (n²-1) is divisible by 24, where n is any odd positive integer. (b) Prove that a connected graph with n vertices must have at least n-1 edges. 06 (c) Can a single undirected graph of 8 vertices have 40 edges excluding self 06 loop. Find the ordinary generating functions for the given sequences: 80 (a) (i) $\{0,1,2,3,4,....\}$ (ii) $\{1,2,3,4,.....\}$ (ii) $\{0,3,3,2,3,3,....\}$ (iv) $\{2,2,2,2,.....\}$ $f = \{(1,2),(2,3),(3,1)\}.$ $g = \{(1,2),(2,1)(3,3)\}.$ $h = \{(1,1),(2,2),(3,1)\}.$ (i) Find f o go h and f o ! 06

REW-III

3.

	(c)	For each of the following sets of weights construct an optimal binary	06
		prefix code. For each weight in the set give the corresponding code	
		word:	
		(i) 1,2,4,6,9,10,12 (ii) 10,11,14,16,18,21 (iii) 5,7,8,15,35,40.	
4.	(a)	Show that the (2,5) encoding function e: B^2 —> B^3 defined by e(00)=00000 e(01) 01110 e(10)=10101 e(11)=11011 is a group code. How many errors will it detect? Prove the following (A-B) U (B-A) = (AU B)- (An B) Let T be the set of all even integers. Show that (Z,+) and (T,+) are isomorphic. Determine the matrix of the partial order of divisibility on the et $A = \{1,3,5,15,30\}$. Draw the Hasse diagram of the poset indicate whether it is a chain or not? Define Hamiltonian path and circuit with example what is the necessary and sufficient condition to exist Hamiltonian circuit? Find the solution of $a_{r+2} + 2a_{r+1} - 3a_r = 0$ that satisfies $a_0 = 1$, $a_1 = 2$	08
		e(00)=00000 e(01)=01110	300
	(b)	Prove the following (4. B) II (B. A) (4.1 B) (4. B)	XV
	(c)	Let T be the set of all and the set of all all and the set of all and the set of all and the set of all all and the set of all and the set of all all and the set of	06
	(0)	isomorphic	
		isomorpine.	
5.	(a)	Determine the matrix of the partial and a solition of the partial	08
		$A = \{1, 3, 5, 15, 30\}$ Draw the Hagge diagram of the many $A = \{1, 3, 5, 15, 30\}$ Draw the Hagge diagram of the many $A = \{1, 3, 5, 15, 30\}$	
		it is a chain or not?	
	(b)	Define Hamiltonian nath and circuit with example what is the necessary	06
	` ,	and sufficient condition to exist Hamiltonian circuit?	
	(c)	Find the solution of $a + 2a - 3a = 0$ that satisfies $a = 1$, $a = 2$	06
	()	$u_{r+2} = u_{r+1} = u_r$	
6.	(a)	Determine whether the following posessare Boolean algebras .Justify you	
	()	answers.	
		(i)A= $\{1,2,3,6\}$ with divisibility \checkmark	
		(ii) D20: divisors of 20 with Evisibility	*
	(L)	()	06
	(b)	Define Universal and Existential quantifiers? Explain with examples.	06
	(c)	Prove that the set $G = \{3,1,2,3,4,5\}$ is an Abelian group of order 6 with	
		respect to addition modulo 6.	

		OK1	



OP CODE: 540901 8ub !-(3 Hours) Total Marks: 80 N.B.: (1) Question no. 1 is compulsory. (2) Attempt any 3 from the remaining questions. (3) Assume suitable data if necessary. (4) Figures to right indicate full marks. 1. a)Explain linear and non-linear data structure with example b) Write ADT for stack. Give application of stack. c) Explain practical applications of trees. d) What is file? Explain various file handling operations in C. 2. a) Write a program in C to perform Quick sort. Show steps with example. 10 b) Explain Circular queue and Double ended queue with example. 10 3. a) Write a program to convert an expression from infix to postfix using stack. 10 b) Write a function for BFS traversal of graph. 10 4. a) Write a program in C to create a singly linked list and perform the following 10 operations: (i) Insert into list (ii) Search for data (iii) Delete from list (iv) Display data. b) Insert the following elements in a AVL search tree: 10 40, 23, 32, 84, 55, 88, 46, 71, 5 Explain different rotations used in AVL trees 5. a) Write a program to construct binary tree for the following pre-order and in-order 10 traversal sequences. Pre-Order: ABDGCEFIF In-Order: DGBAHEICF b) What is hashing? What is mean by collision? Using modulo division method insert 10 the following values in a hash table of size 10. Show how many collisions occurred. 99, 33, 23, 44, 56, 43, 19 20 Write short notes on any four of the following:-Huffman coding 2. Iteration VS Recursion 3. Various techniques of Graph representation 4. Threaded binary tree 5. Heap Sort

PS/COMPIDICER SEBEM-III COMP (CBGS)

07-12-16

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Q. P. Code: 540800

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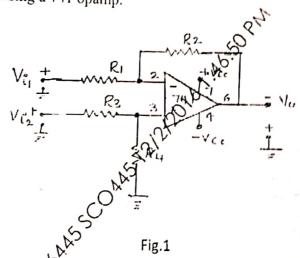
Time:-3 Hrs



Marks: 80

- N.B.: 1. Question ONE is compulsory
 - 2. Solve any THREE out of remaining questions
 - 3. Draw neat and clean diagrams
 - 4. Assume suitable data if required.
- Q. 1. A.Mention important specifications of ADC and DAC required for communication.

 B. A difference amplifier is to be designed to amplify the difference between two voltages by a factor of 20. The inputs each approximately equal to 2V. Determine cultable resistor values for the circuit shown in fig.1 using a 741 onamp.



C. With near block diagram explain how PLL can be used to generate large number of frequencies from a single reference frequency.

D. When a broadcast AM transmitter is 50% modulated, its antenna current is 12A. What will be the current, when the modulation depth is increased to 0.9?

A. For the common source circuit shown in fig.2. Calculate the gate input impedance, the drain output impedance, the circuit input and output impedance and the voltage gain. Use the typical parameters for the FET.

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Q. P. Code: 540800

$\log 2$.	
B. With suitable waveforms explain how op-amp can be used differentiator. Q. 3 A. Explain the concept of virtual ground in operational amplifier. B. Compare Hartley and Colpitts Oscillator along with neat diagrams.	10
Q. 3 A. Explain the concept of virtual ground in operational amplifier.	5
B. Compare Hartley and Colpitts Oscillator along with neat diagrams.	5
C. Compare various pulse modulation techniques.	5
D. Explain the mathematical model for JFET in various regions of operation.	-5 -
Q. 4 A. Explain the generation of DSBSC using balanced modulator.	10
B. With neat diagram explain the operating principle of PLL and it's use as a phase shifter	10
2.5 71. With heat diagram and waveforms, explain the principle of operation of super heterody	ne
o v	10
B. One input to a conventional AM modulator is a 500 KHz carrier with an amplitude of 2	20 Vp.
The second input is 10 KHz modulating signal that is of sufficient amplitude to cause a cl	nange in
the output wave of ±7.5 Vp. Determine:	10
(i) upper and lower side frequencies	
(ii) modulation coefficient and percentage modulation	
(iii) peak amplitude of the modulated carrier and upper and lower side frequency	voltages
(iv)expression for the modulated wave	
(v) draw the output spectrum	
A. Explain the detection of pulse code modulation	5
B. Discuss delta modulation and adaptive delta modulation.	5
C. Write short note on generation of FM by Armstrong method	5
Compare n-channel and p-channel JFET with respect to their device features and versions.	oltage-
current characteristics.	5

SE SEM-III COMP (Geys)

DLDA COMP) II / CBSGS 16-12-2016

Q.P. Code: 541000



Sub :- DLDA (3 Hours)

[Total Marks: 80]

- 1) Question number 1 is compulsory.
 - 2) Attempt any 3 questions from the remaining 5 questions.
 - 3) Each question carries 20 marks.
 - 4) Within a question, each sub-question carries equal marks.
 - a) Convert decimal number 151.33 into binary, base-4, octal, 1. hexadecimal system.
 - b) A 7 bit even parity hamming code is received as 1000010. Correct it for any errors & extract 4 bit data.
 - c) Express the equation in standard SOP form: F(A, B, C) = OM(0, 2, 5, 7).
 - d) Compare TTL & CMOS with respect to speed, power dissipation, fan-in & fan-out & also define these terms.
 - e) Draw JK flip-flop using SR flip-flop & additional gates. Explain briefly the race around condition in K flip-flop.
 - a) Simplify the following equation using K-map to obtain 2. minimum SOP equation & realize the minimum equation using two level NAND gates only. 5 $F(A, B, C, D) = \prod M(1, 3, 6, 6, 9, 11, 12, 14)$

b) What is Multiplexer? Implement the following function using 4:1 multiplexer and few gates.

 $F(A, B, C, D) = \sum_{Q} n(0, 1, 2, 3, 6, 7, 9, 10, 13, 15)$

- ω realize the equation ω , $\omega_j = \Sigma$ m (0, 1, 2, 8, 10, 11, 14, 15)Prove using boolean algebra: "NAND gate is universal gate".

 Develop the truth table for 2-bit binary multiplier & design it using a suitable decoder & additional gates.

 Design MOD-7 synchronous up-counter. Show all steps.

(TURN OVER)



a) Develor the truth table of 3 bit binary to gray code converter 5. and design it by using 3:8 decoder with active low outputs & additional gates.

2

a) What tft register? Draw a 4-bit universal shift register & explain USO & SIPO operations.

b) Draw & explain the working of 4-bit twisted ring counter with timing diagram. cuit diagram for MOD-10 asynchronous binary up

6.

Sub :- ODPM)

QP CODE: 541201

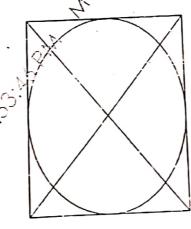
Time: 3 Hours

Max. Marks: 80

Note: Q. 1 is compulsory. Attempt any THREE questions from Q. 2 to Q. 6

- Explain Java Virtual Machine. Q. 1
 - Write a program to display factorial of given number. Take input from command line arguments.
 - Explain System.arraycopy() method with example.
 - Explain Thread life cycle.
- Explain different ways to create Thread in JAVA with example. Q. 2
 - b Differentiate between method overloading and overriding. Write program to [10]override area() method of Shape class into its subclasses Rectangle and Square. Shape is an abstract class.
- a Explain different types of relationships among the entities. Q. 3 Define the relationships among the objects of given senterces:
 - 1) Manager is an Employee.
 - 2) Teacher teaches OOPM subject to students to
 - 3) Merry owns a car.

 - 4) Engine is a part of car.
 b Explain the steps to create package in YAVA to add class and interface with [10] example.
- Explain bitwise operators in JAVA Q. 4
 - Explain use of final keyword wich it is prefix with variable, method and class. [4]
 - Explain Cohesion and Counting.
 - Write an applet program to display



[10]

[5]

[10]

[4]

[4]



OP CODE: 541201

- a Explain exception handling mechanism with the help of try, catch, throw, throws [7] and finally.
 - b Department of Computer Engineering wants to maintain record of books. If any [8] The department.

 Sound StringBuffer class.

 Lance and its types in JAVA.

 Explain wrapper class.

 Write a program to display sum of main diagonal elements of a matrix

 Explain Applet lifecycle methods. new book is purchased then it is added to the list. Also if any book is damaged or
- a Explain inheritance and its types in JAVA. Q. 6

of a matry with the state of th